$\qquad$
$\qquad$

| Roll \# | Age | (i) | ${ }^{238} \mathrm{U}$ | ${ }^{206} \mathrm{~Pb}$ |
| :---: | :---: | :---: | :---: | :---: |
| 0 | 0 | - | 50 | 0 |
| 1 | 1.18 Ga |  |  |  |
| 2 | 2.36 Ga |  |  |  |
| 3 | 3.54 Ga |  |  |  |
| 4 | 4.72 Ga |  |  |  |
| 5 | 5.9 Ga |  |  |  |
| 6 | 7.08 Ga |  |  |  |
| 7 | 8.26 Ga |  |  |  |
| 8 | 9.44 Ga |  |  |  |
| 9 | 10.62 Ga |  |  |  |
| 10 | 11.80 Ga |  |  |  |
| 11 | 12.98 Ga |  |  |  |
| 12 | 14.16 Ga |  |  |  |
| 13 | 15.34 Ga |  |  |  |
| 14 | 16.52 Ga |  |  |  |
| 15 | 17.7 Ga |  |  |  |



This 6-sided die represents an atom of the radioactive isotope uranium-238 $\left({ }^{238} \mathrm{U}\right)$.

Each time you roll it, it has a $1 / 6$ chance of undergoing radioactive decay and becoming an atom of the stable isotope lead-206 $\left({ }^{206} \mathrm{~Pb}\right)$
Real ${ }^{238} \mathrm{U}$ decays very slowly. It has a half-life of 4.47 billion years ( 4.47 Ga , "Giga-annum").
We can simulate this decay by rolling a lot of dice and pretending that each roll represents the passing of 1.18 billion years ( 1.18 Ga ).

## Data Collection Instructions

## After each roll...

count the number of decayed dice...
subtract that number


